
Analysis of end-to-end delay for aggregate RCSP (ARCSP)

Max Azarov

v1.01



SMSC

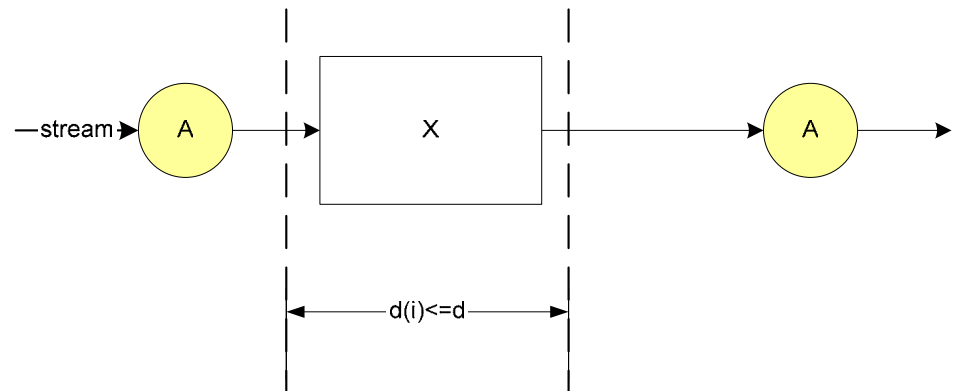
Purpose

- We need to show for ARCSP
 - that regulators do not increase worst-case latency
- This behavior is identical to per-flow RCSP

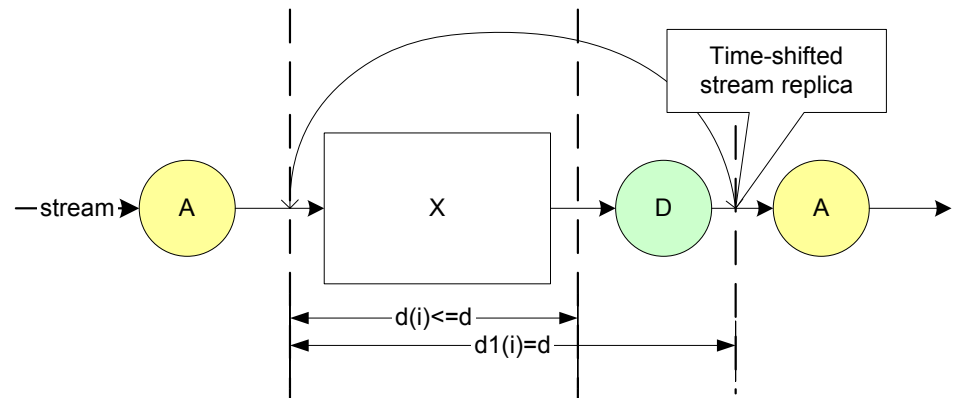
- Knowing that regulators do not contribute to the latency bound, ARCSP network designer can focus on proving local per-hop latency bound performance, as well as establishing buffer requirements

Regulator impact analysis in general

- Suppose we have system with two regulators “A” and some network element “X”, which causes delays for packets $d(i) \leq d$, where d is the upper bound
- We assume d is finite
- Would second regulator “A” delay packets beyond d ?

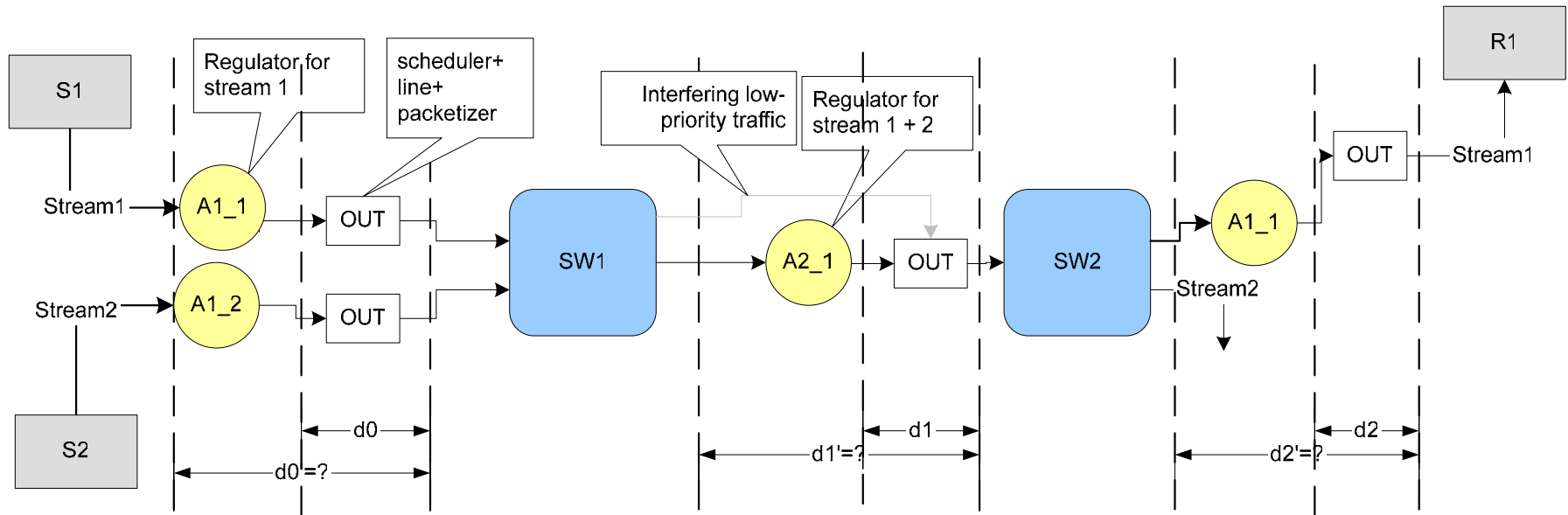


- We create modified system with element “D”, which delays packets and releases them so that total delay $d_1(i) = d$
- After “D” we have time-shifted replica of the stream after first regulator “A”
- This version is constrained by “A” already, hence:
 - **second “A” will not delay any packets beyond d !**
- This method is used below



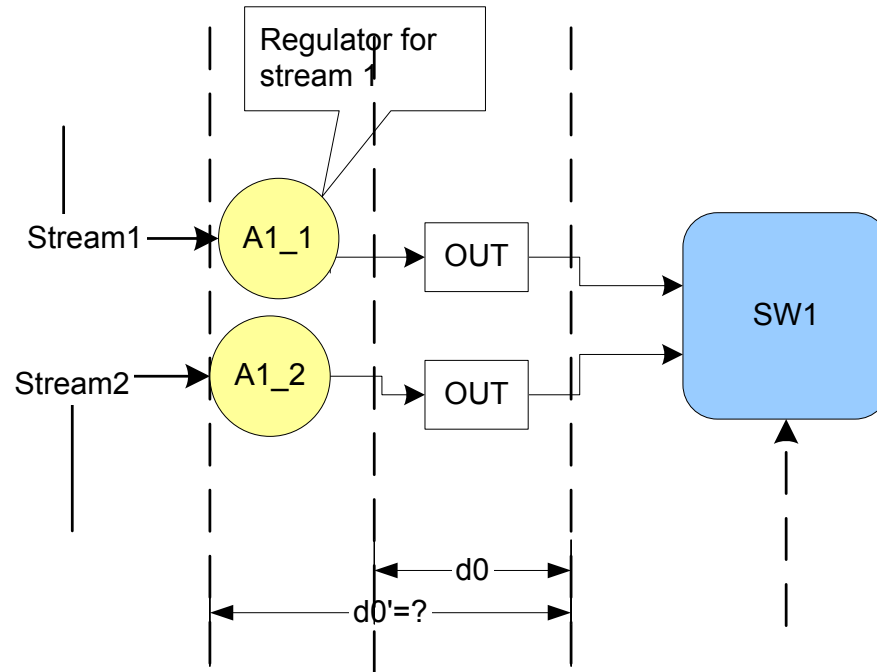
Note: Full proof needs to show validity of adding D :additional Lemma (see reference paper)

RCSP network



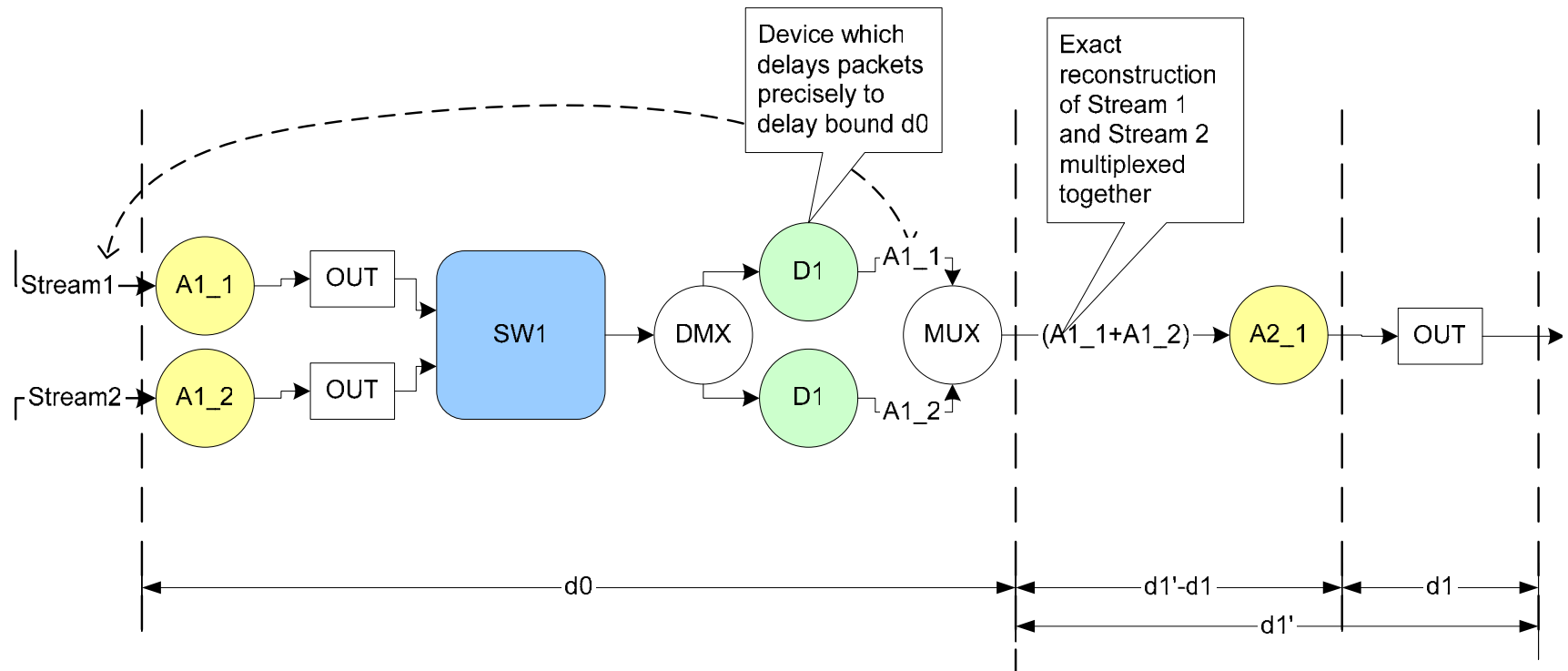
- For network with regulators, need to determine values of d_0' , d_1' , d_2'
- Values d_0 , d_1 , d_2 are known

Delay d_0'



- Assume streams 1 and 2 comply with constraint envelopes $A1_1$ and $A1_2$ respectively
- This means that regulators will not delay any packets, so
 - $d_0' = d_0$

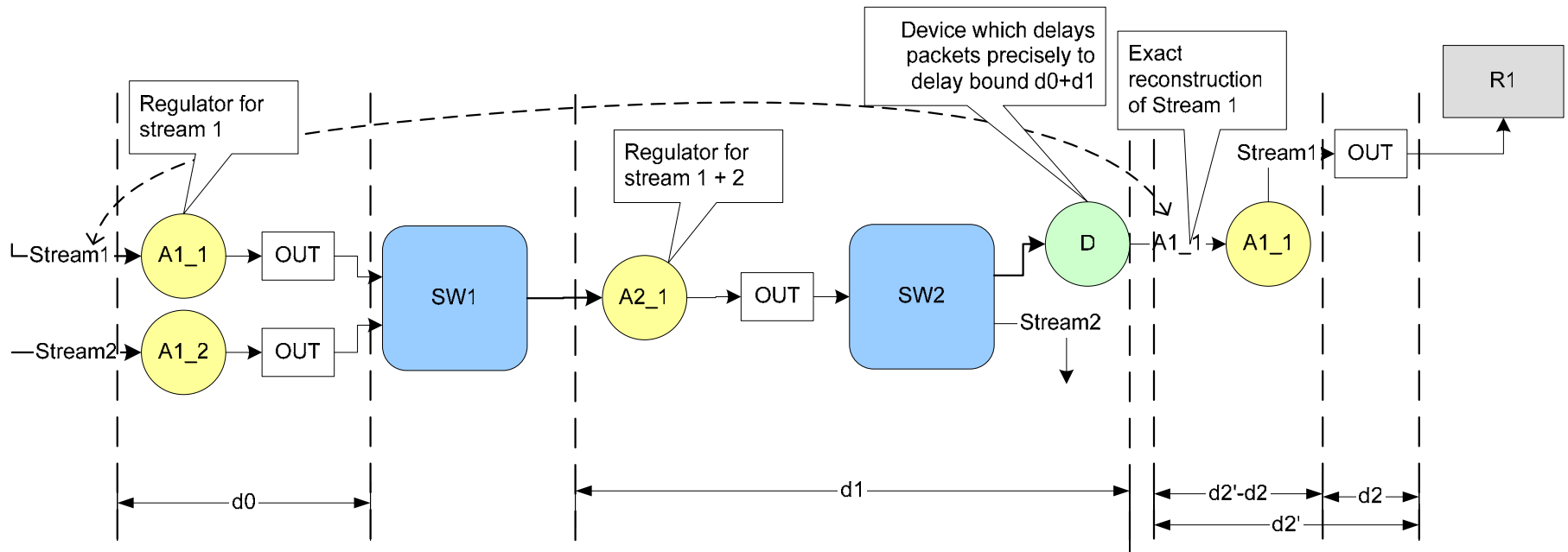
Delay $d1'$



- 2 elements D1, independently delay “early” packets of stream 1 and 2 and release exactly at the worst-case delay d_0
- Since all packets are delayed in the system by the same amount of time = d_0 , on the output we have time-shifted exact replica of Stream 1 and Stream 2 respectively
- When we multiplex streams, their envelope will be $\leq (A1_1+A1_2)$
- If $A2_1 \geq (A1_1+A1_2)$, then regulator will not delay any packets

■ $d1'=d1$

Delay d_2'



- Insert element D, which delays “early” packets of stream 1 and releases exactly at worst-case delay d_0+d_1
- On the output of D we have time-shifted replica of Stream 1 with constraint envelope A1_1
- This means that regulator A1_1 will not delay any packets

■ $d_2' = d_2$

Conclusion

- $\Rightarrow d0'=d0, d1'=d1$ and $d2'=d2$
- Speculations can be straight-forwardly extended to a general network
- This proves that ARCSP similarly to per-flow RCSP does not increase worst-case delay compared with SP network
- Condition $A2_1 \geq (A1_1 + A1_2)$ imposes requirements on envelope types suitable for aggregate RCSP
 - Maximum summary constraint envelope should not depend on number of streams in aggregate
 - (r, T) envelope is suitable
 - (σ, ρ) can be used if σ is not fixed, but calculated according to allocated bandwidth: $\min(L, BT)$
 - L – max packet size
 - B – allocated bandwidth
 - T – time-constant, defining “scheduling period”

References

- Leonidas Georgiadis, Vinod Perk, “Efficient Network QoS Provisioning Based on per Node Traffic Shaping”, IEEE/ACM TRANSACTIONS ON NETWORKING, VOL. 4, NO. 4, AUGUST 1996

Questions?