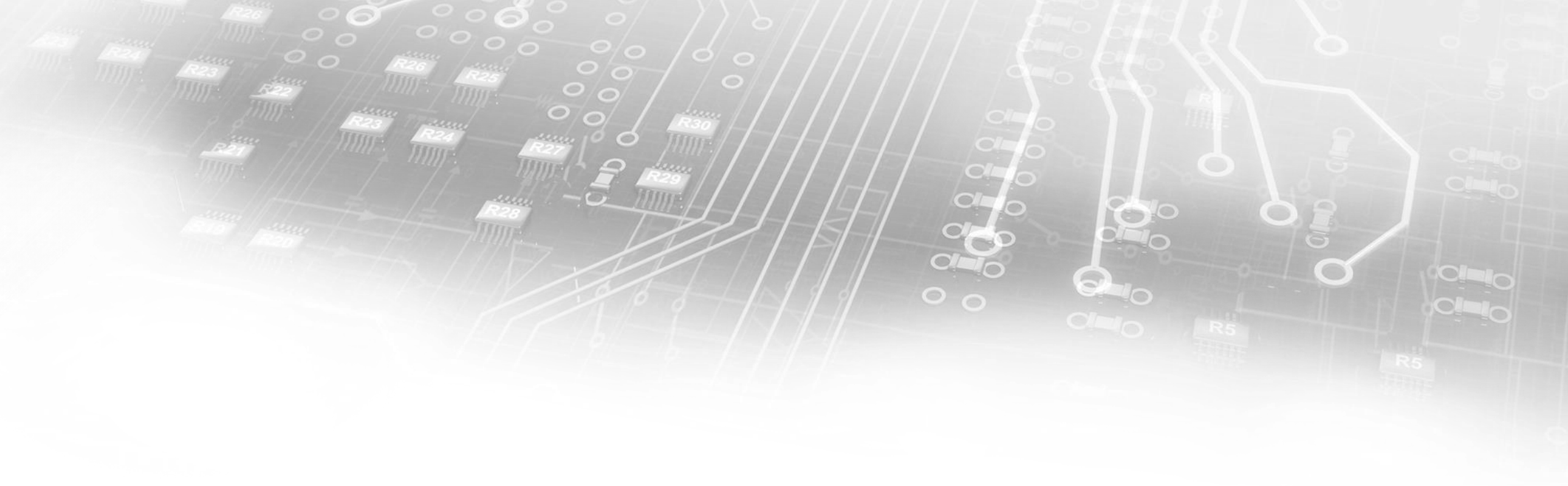


Additional Text Changes for Comment #84 and #85

September 10, 2019

Mike Tu tum@broadcom.com



149.3.2.2.18 to 149.3.2.2.21

Motivation

- Multiple variables are used as indices of symbol numbers in 149.3.2.2.18 to 149.3.2.2.21
 - 149.3.2.2.18: used “n” without definition
 - 149.3.2.2.19: used “j” without definition
 - 149.3.2.2.20: used “j” without definition
 - 149.3.2.2.21: used “u” with definition
- Variable “n” also used in 149.3.4 and 149.3.5 as index of symbol numbers
- There are also redundant paragraphs in 149.3.2.2.19
- Recommend to clean up the texts and use “n” as the index of symbol numbers in 149.3.2.2.19, 149.3.2.2.20, and 149.3.2.2.21

Suggested Remedy – 149.3.2.2.18

- Page 101, line 35-37. Make the following changes:
 - “... and each pair of bits, $D_n[0]$ and $D_n[1]$, where n is an index indicating the symbol number, is scrambled using an additive scrambler. For each pair of interleaved bits, ...”
- Page 101, line 41-42:
 - “... (MSB) to generate two scrambled data bits $\{A_n, B_n\}$ as shown in Equation (149–4).”
- Page 101, Equation 149-4:
 - $A_n = DS_n[0] \oplus D_n[0]$
 - $B_n = DS_n[1] \oplus D_n[1]$

Suggested Remedy – 149.3.2.2.19

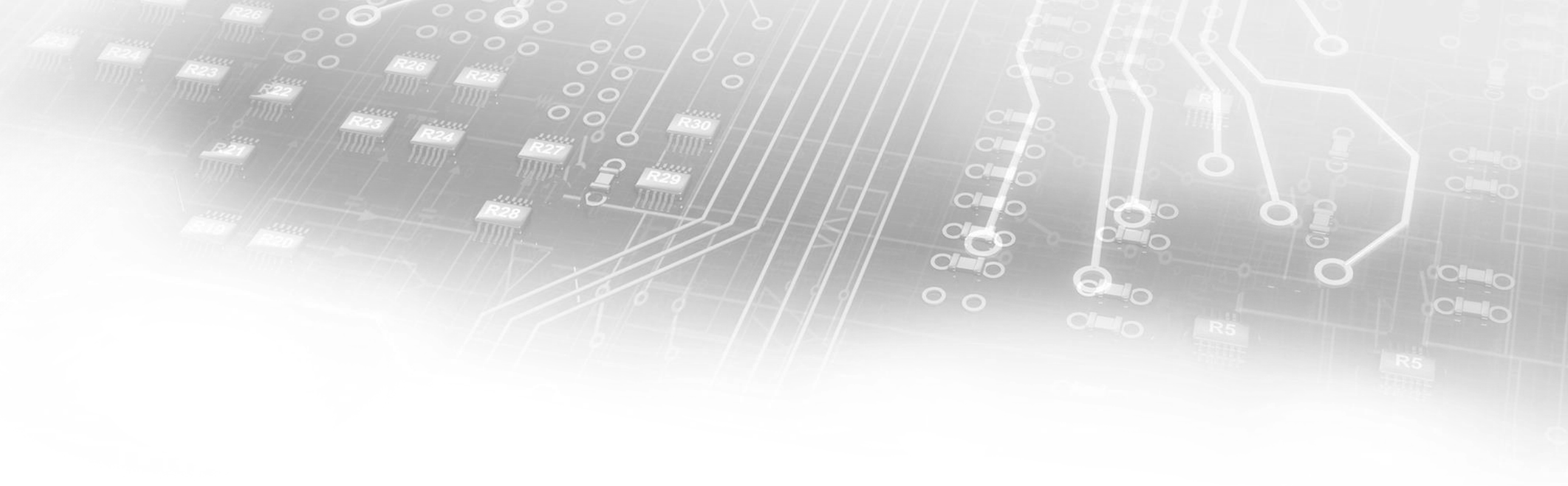
- Page 101, delete line 49 to 51 (this paragraph is redundant)
- Page 101, line 52-54, change to:
 - “For output symbols, the PCS transmit process shall map consecutive pairs of bits, $\{A_n, B_n\}$, where A_n is the bit arriving first and n is an index indicating the symbol number, to Gray-coded symbols $G(n)$ with one of four levels as follows:”
- Page 102, delete line 9 and 10 (this paragraph is redundant)
- Page 102, line 12 and 13:
 - “For input symbols, the PCS receive process shall map Gray-coded symbols $G(n)$ with one of four levels to pairs of bits $\{A_n, B_n\}$, where A_n is considered to be the first bit, as follows:”

Suggested Remedy – 149.3.2.2.20

- Page 102, line 38-39:
 - “For each Gray-coded symbol $G(n)$, a precoded symbol $P(n)$ shall be determined by the following algorithm, where n is an index indicating the symbol number:”
- Page 102, line 41 to 47:
 - $P(n) = G(n)$, when precoder_type = No precoder,
 - $P(n) = (G(n) + P(n-1)) \bmod 4$, when precoder_type = Precoder for 1 – D Channel,
 - $P(n) = (G(n) - P(n-1)) \bmod 4$, when precoder_type = Precoder for 1 + D Channel, and
 - $P(n) = (G(n) + P(n-2)) \bmod 4$, when precoder_type = Precoder for 1 – D² Channel.

Suggested Remedy – 149.3.2.2.21

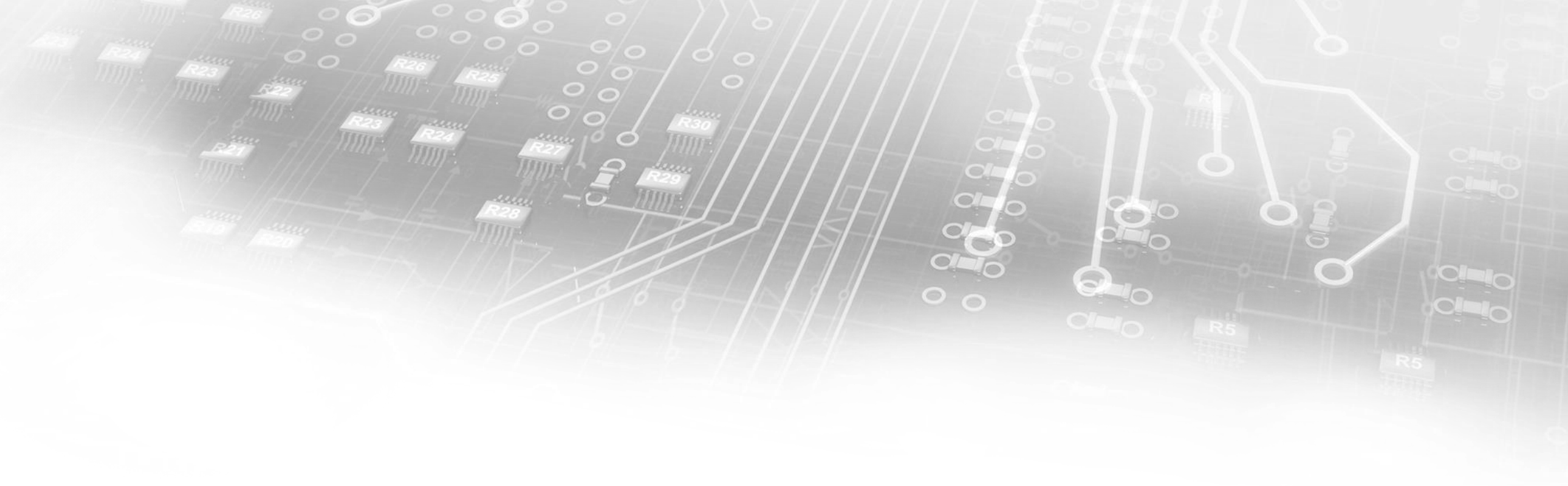
- Page 102, line 6-8:
 - “The PAM4 encoded symbols are denoted $M(n)$, where n is an index indicating the symbol number.”
- Page 102, line 10 to 11:
 - “Each consecutive precoder output symbol, $P(n)$, is mapped to one of four PAM4 levels and assigned to the PAM4 encoder output $M(n)$.”
- Page 102, line 13:
 - “Mapping from the precoder output symbol $P(n)$ to a PAM4 encoded symbol $M(n)$ is as follows:”



149.3.2.2.17

Regarding 149.3.2.2.17

- Page 99, line 40 to 45
 - Variable “n” is the length of RS-FEC codeword
 - Never referenced anywhere else as the length of RS-FEC.
 - “n” also used in other places as index indicating the symbol number.
 - Variable “k” is the number of data symbols per RS-FEC codeword
 - Never referenced anywhere else as # data symbols.
 - Variable “t” is number of correctable symbols per RS-FEC codeword
 - Never referenced anywhere else as # correctable symbols.
 - “t” also used in 149.4.3.1 to represent time (continuous).
- Recommend to delete “n”, “k”, “t” from the paragraph.
- Modify page 99, line 40 to 45:
 - The group of 3260 bits are encoded using a Reed-Solomon encoder operating over the Galois Field $GF(2^{10})$ where the symbol size is 10 bits. The encoder processes ~~k=326~~ ten-bit RS-FEC message symbols to generate ~~2t=34~~ ten-bit RS-FEC parity symbols, which are then appended to the message to produce a codeword of ~~n=k+2t=360~~ ten-bit RS-FEC symbols. For the purposes of this clause, the particular Reed-Solomon code is denoted ~~RS-FEC(n,k), and the particular Reed-Solomon code is as~~ RS-FEC(360,326).



THANK YOU
