

IEC/IEEE 60802

Clock noise model

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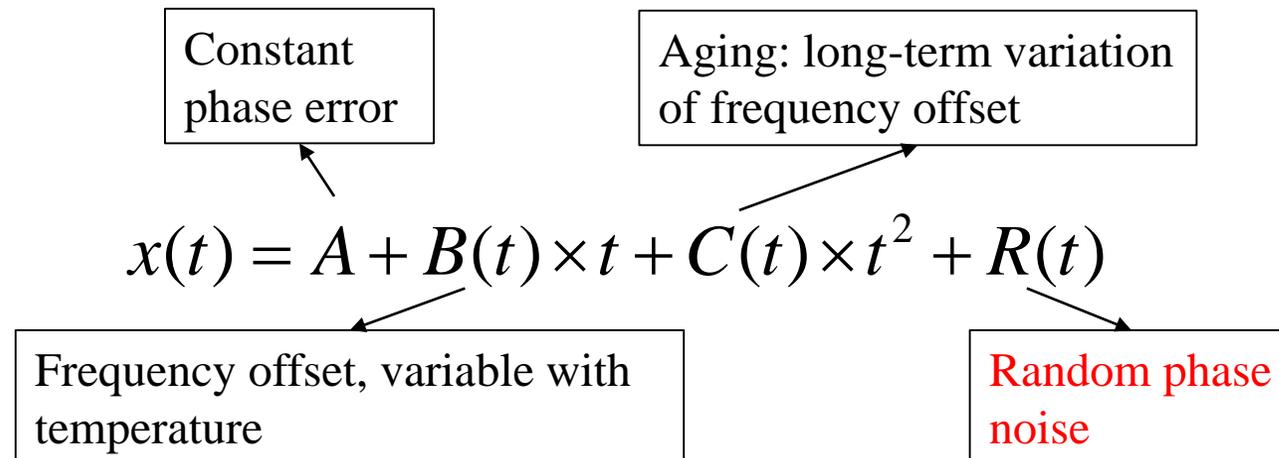
IEEE 802.1 TSN – IEC/IEEE 60802

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Introduction

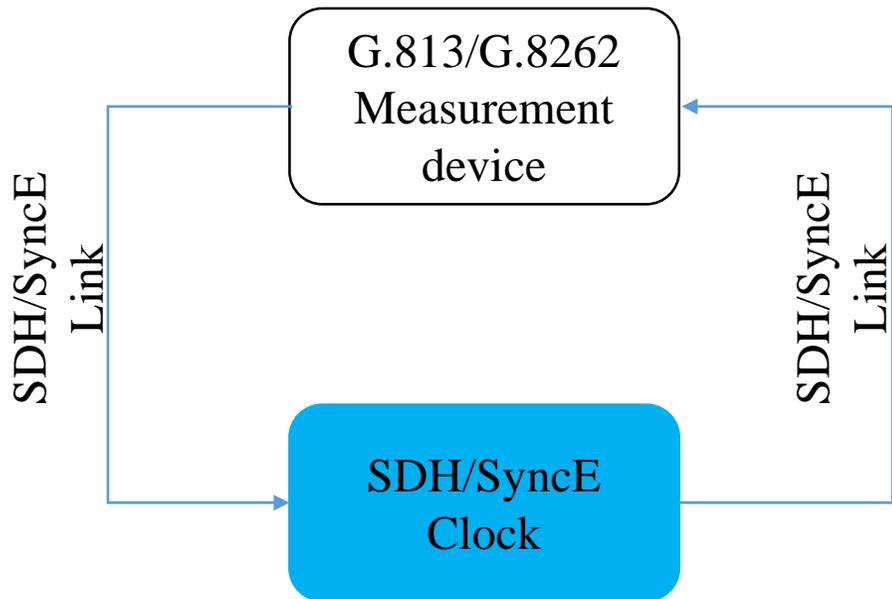
- The presentation [60802-Lv-Rodrigues-clock-filter-0921-v00.pdf](#) introduced a general clock filter model, and provided two points for the simulation models,
 - ① Propose the end-point filter bandwidth, which is used by simulation, to be equal or less than 1/10 times of the Sync message rate;
 - ② Consider the effect of the local oscillator to the end-point clock
- For the second point, it's proposed to analyse the random noise of the local oscillator or clock, and the existing ITU-T model could be referred.

Oscillator phase noise model:

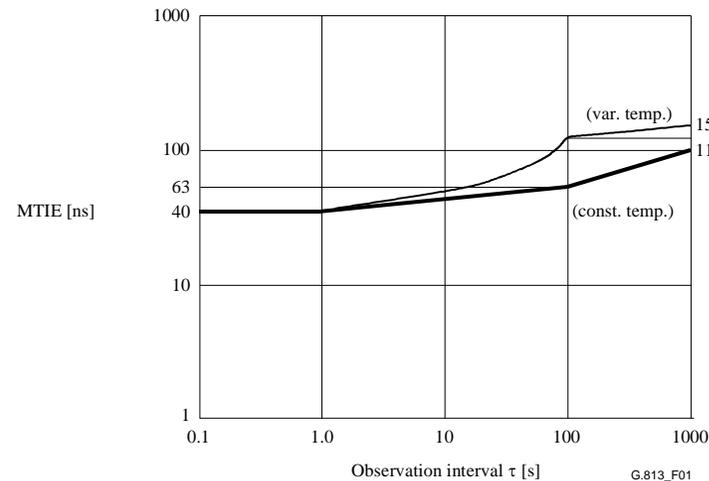


Clock noise model

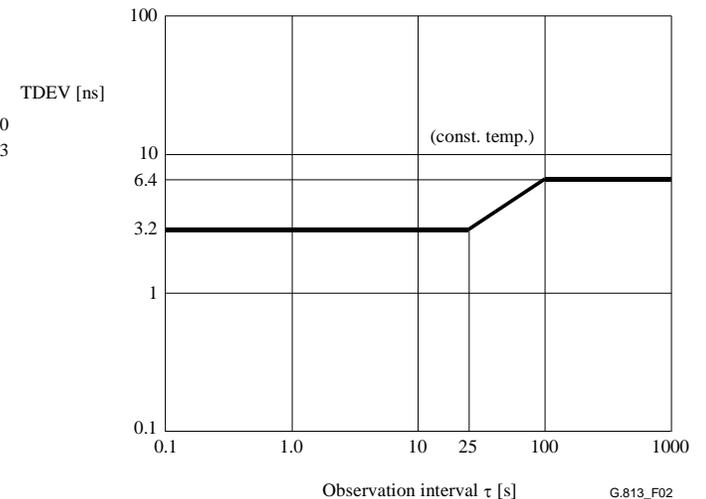
- ITU-T [G.813](#) and [G.8262](#) specify requirements for the SDH clock and SyncE clock respectively. One of them is the wander noise generation (see Clause 7.1 of ITU-T G.813 and Clause 8.1 of G.8262, they're same.)
- G.813/G.8262 includes Option 1 and Option 2 clocks, and Option 1 clock is widely used in telecom networks. This presentation is based on Option 1 clock.



- The output of SDH/SyncE clock should meet the below MTIE/TDEV masks.

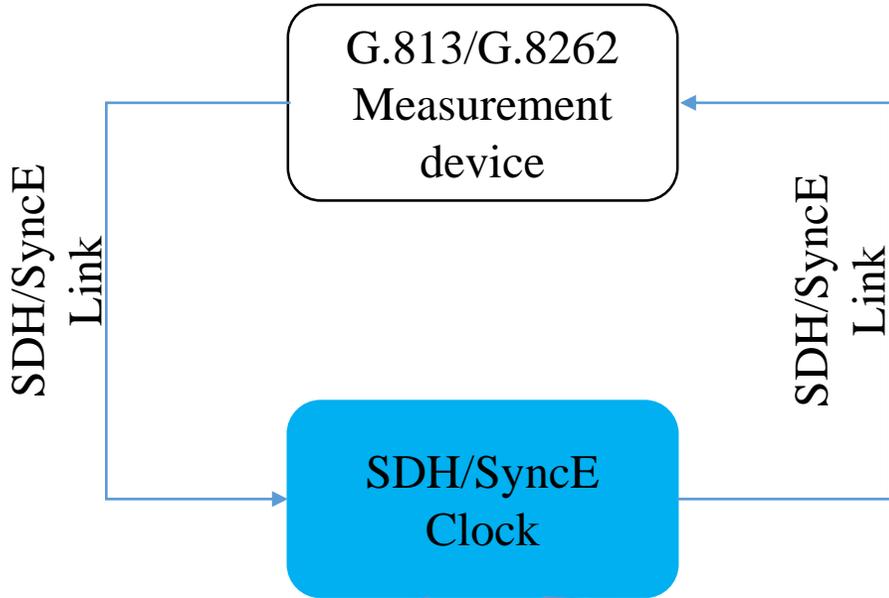


Option 1 MTIE mask



Option 1 TDEV mask

Clock noise model



- Noise transfer function of the model:

$$Y = X \times H + N \times (1 - H) \quad H \text{ is a low-pass filter, and } (1 - H) \text{ is a high-pass filter}$$

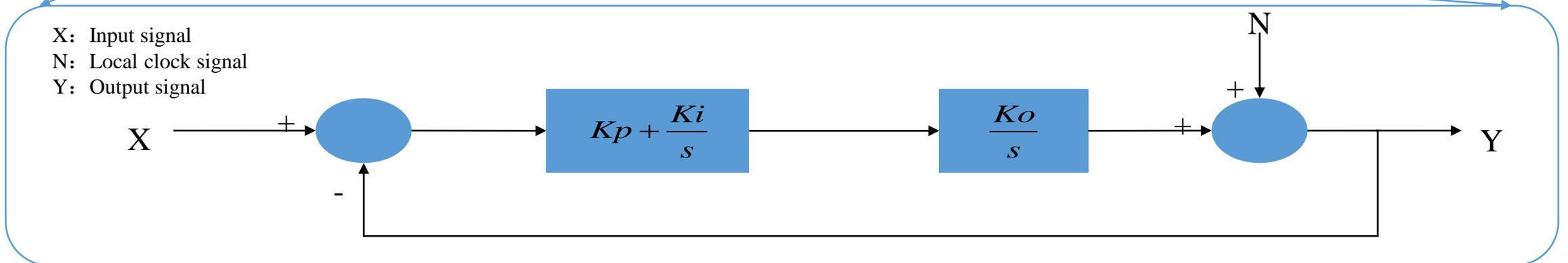
- The output signal Y should meet the MTIE/TDEV masks in the previous page.
- Due that the input signal X generated by the measurement device is ideal (assumed to be zero), then

$$Y = N \times (1 - H)$$

- And the local clock signal N is,

$$N = \frac{1}{1 - H} \times Y \quad 1/(1 - H) \text{ is a reverse high-pass filter}$$

A mathematical model of SDH/SyncE clock



Clock noise model

- Therefore, if the noise data Y is based on the MTIE/TDEV masks, the local clock noise data N can be calculated via the previous model,

$$N = \frac{1}{1-H} \times Y$$

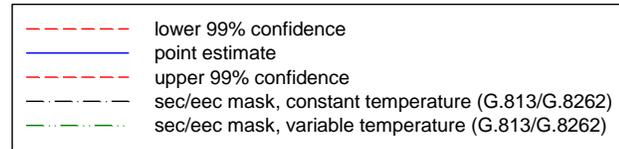
- [ITU-T G.Sup.65](#) has provided three models to get the noise data Y , in order to comply with the MTIE/TDEV masks as best as possible.
 - Option 1, Model 1, Clause 8.1.2.1 of ITU-T G.Sup.65
 - Option 1, Model 2, Clause 8.1.2.1 of ITU-T G.Sup.65
 - Option 1 ETSI model, Clause 8.1.4.1 of ITU-T G.Sup.65

Clock noise model

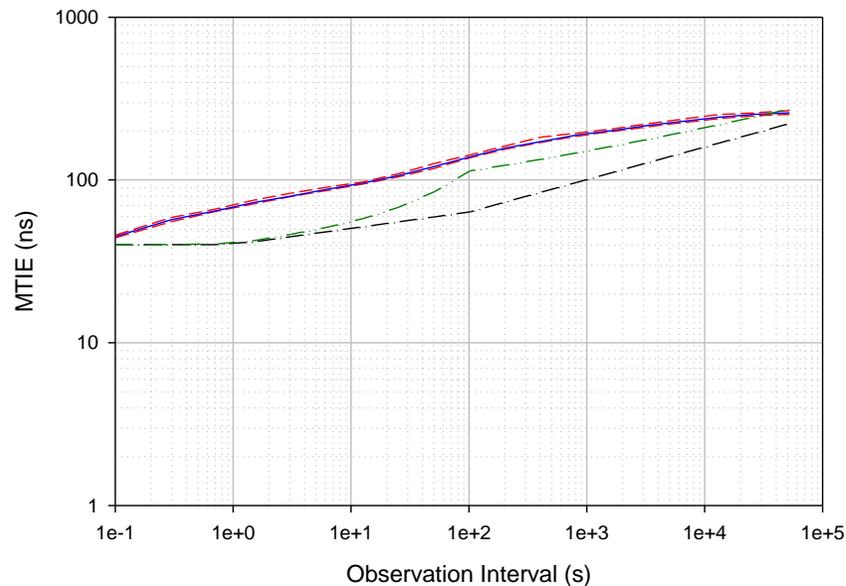
- Option 1, Model 1: meets variable-temperature MTIE mask, exceeds TDEV mask;
- The noise generation data below is generated by the combination of noise sources listed in table 6.

Table 6 – Noise source parameters for Option 1, Model 1⁺
(meets variable-temperature MTIE mask, exceeds TDEV mask)^o

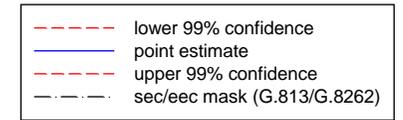
Noise source ^o	Input white noise standard deviation (ns) ^o	Low-pass filter bandwidth (Hz) ^o	High-pass filter bandwidth (Hz) ^o
WPM ^o	0.0 ^o	— ^o	— ^o
WFM ^o	2.450 ^o	— ^o	3.183×10^{-3} ^o
FPM1 ^o	7.336 ^o	— ^o	— ^o
FPM2 ^o	15.96 ^o	3.183×10^{-3} ^o	— ^o



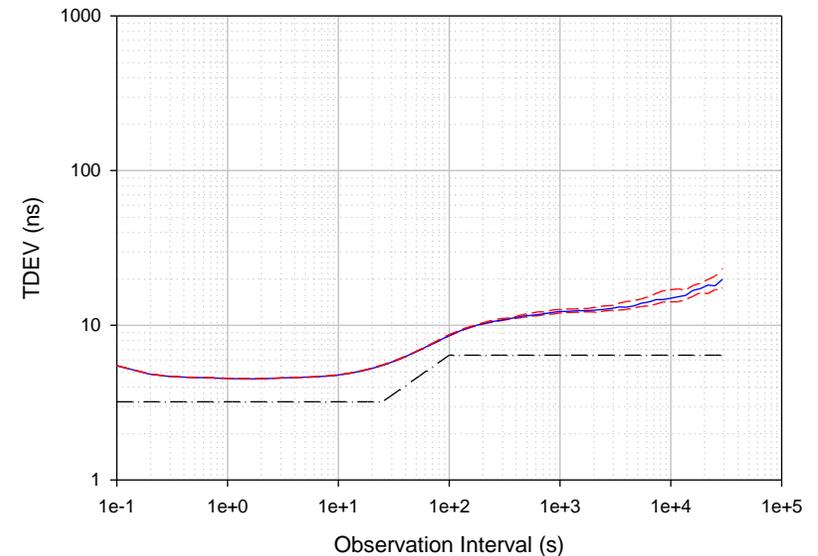
Option 1 Noise Generation MTIE - 0.95 Quantile
Model 1 - Meet MTIE, Exceed TDEV



MTIE, Figure 5 of ITU-T G.Sup.65



Option 1 Noise Generation TDEV - 0.95 Quantile
Model 1 - Meet MTIE, Exceed TDEV



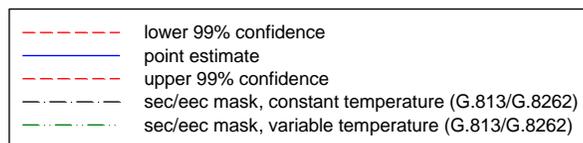
TDEV, Figure 6 of ITU-T G.Sup.65

Clock noise model

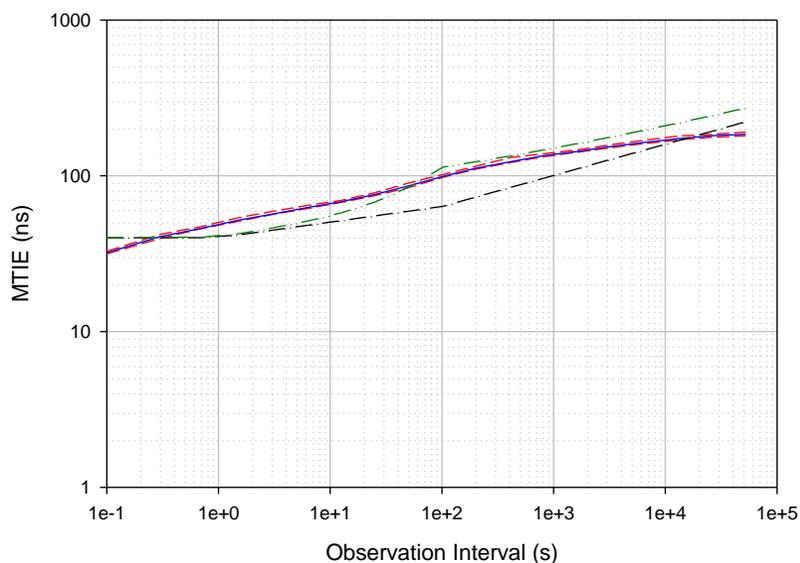
- Option 1, Model 2: meets TDEV mask as closely as possible, falls below variable-temperature MTIE mask;
- The noise generation data below is generated by the combination of noise sources listed in table 7.

Table 7 – Noise source parameters for Option 1, Model 2
(meets TDEV mask, falls below variable-temperature MTIE mask)

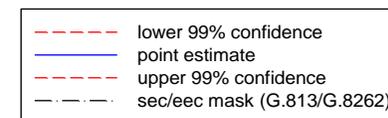
Noise source	Input white noise standard deviation (ns)	Low-pass filter bandwidth (Hz)	High-pass filter bandwidth (Hz)
WPM	0.0	→	→
WFM	1.750	→	3.183×10^{-3}
FPM1	5.240	→	→
FPM2	11.40	3.183×10^{-3}	→



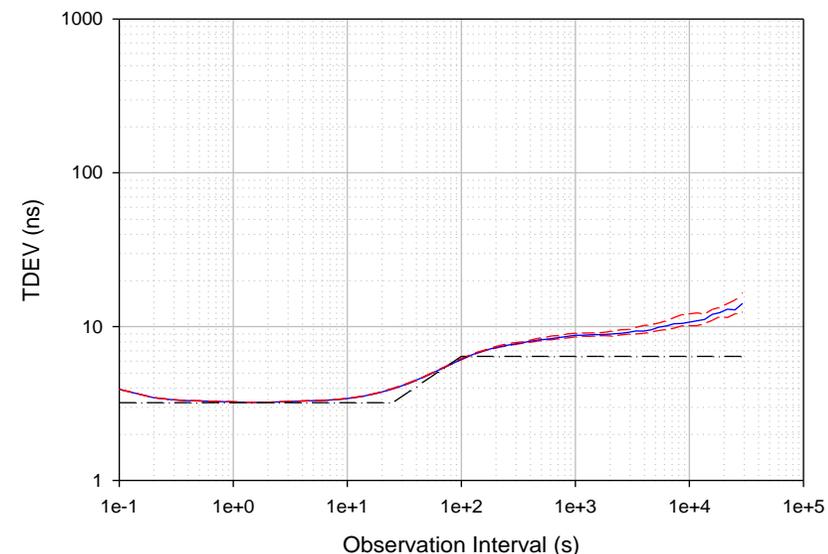
Option 1 Noise Generation MTIE - 0.95 Quantile
Model 2 - Meet TDEV, Below MTIE



MTIE, Figure 7 of ITU-T G.Sup.65



Option 1 Noise Generation TDEV - 0.95 Quantile
Model 2 - Meet TDEV, Below MTIE



TDEV, Figure 8 of ITU-T G.Sup.65

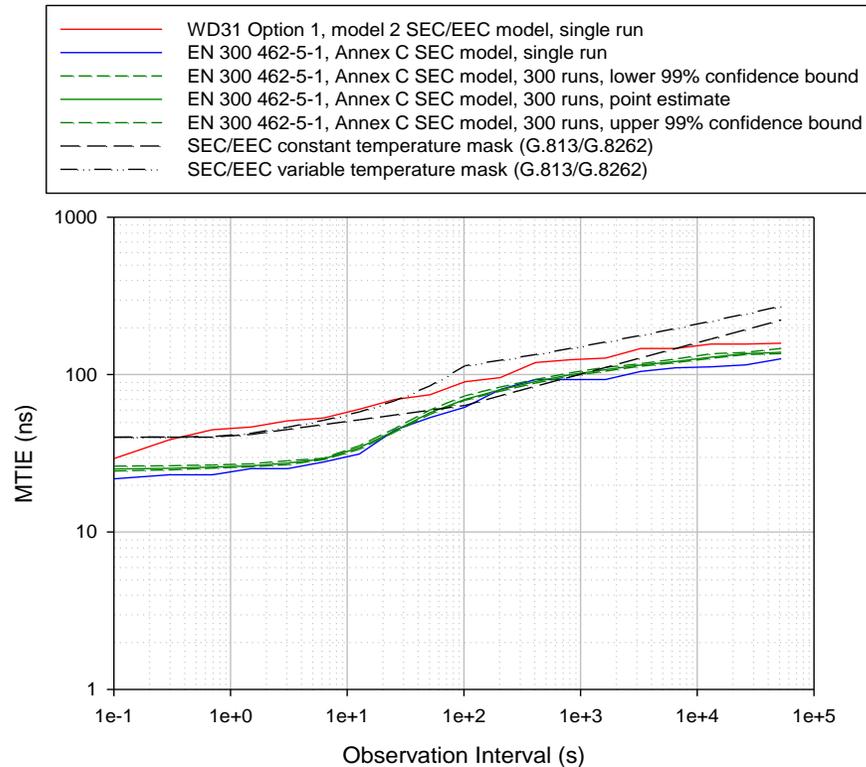
Clock noise model

- Option 1, ETSI Model: matches the upper flat level and transition between lower and upper flat levels of the TDEV mask;
- The noise generation data below is generated by the combination of noise sources listed in table 23.

Table 23 – SEC/EEC noise model parameters, following ETSI SEC noise generation model (Annex C of [b-ETSI02])

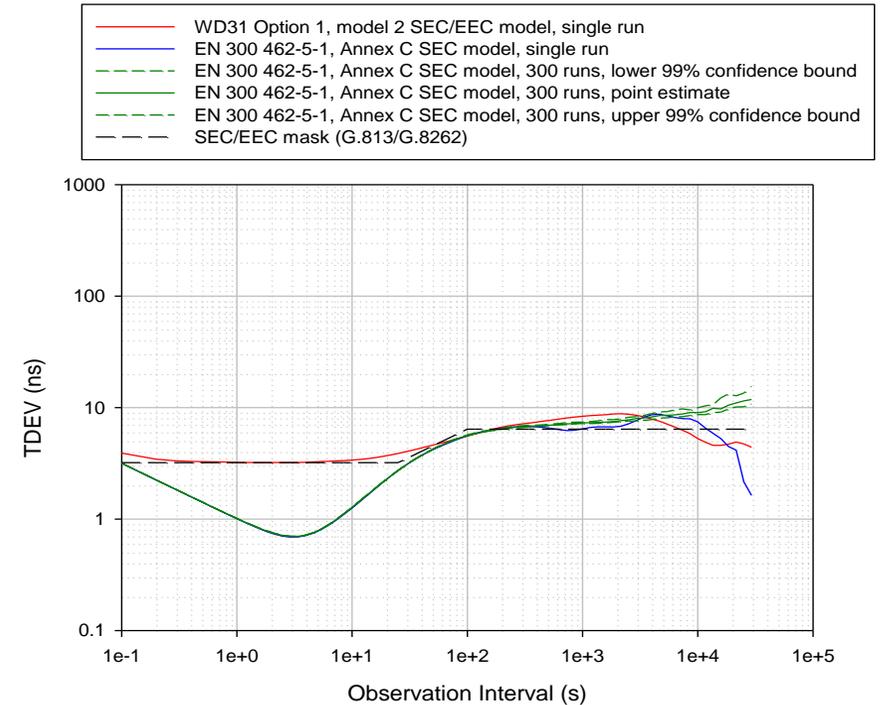
Noise Source	Input white noise standard deviation (ns)	Low-pass filter bandwidth (Hz)	High-pass filter bandwidth (Hz)
WPM	1.0	—	0.006
FPM	10.67	0.006	—

SEC/EEC noise generation models and mask



MTIE, Figure 43 of ITU-T G.Sup.65

SEC/EEC noise generation models and mask



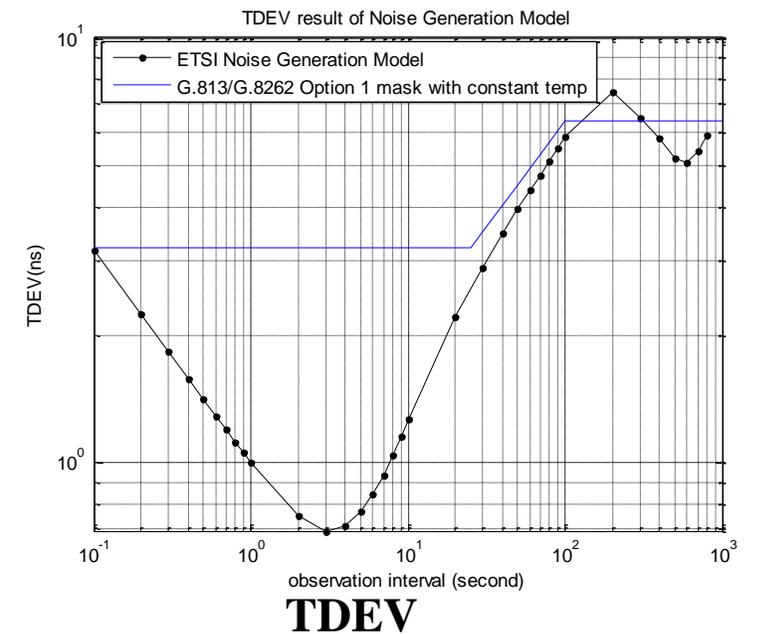
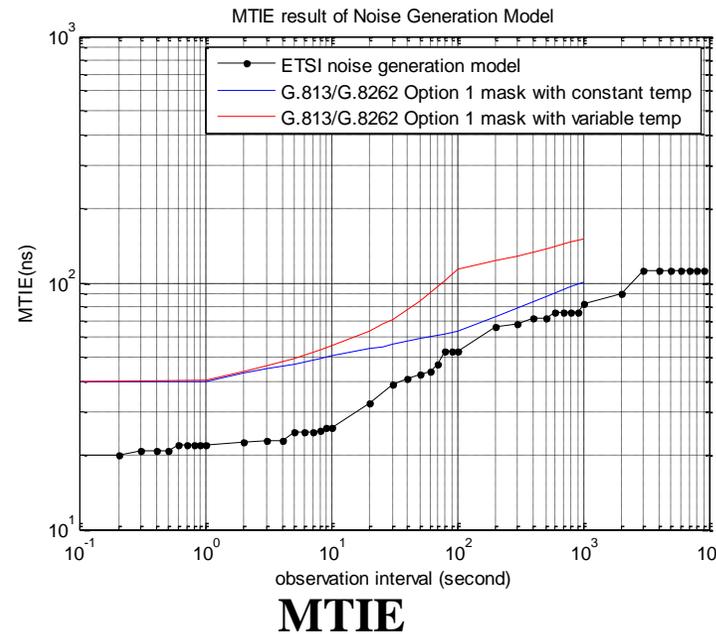
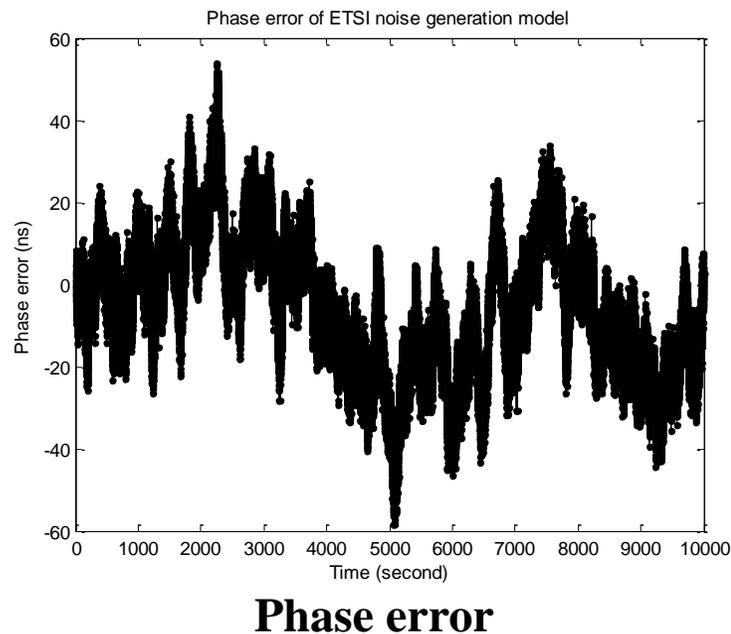
TDEV, Figure 44 of ITU-T G.Sup.65

Clock noise model

- This presentation uses Option 1, ETSI model as assumption, considering it's used by ITU-T simulations.
- The below phase error data in the left figure is regenerated with the noises sources of table 23, and the simulation step is 0.1s.
- Note, the below MTIE/TDEV figures only provide the result with a single run, and are not as smooth as the figures of ITU-T G.Sup.65, which shows the results with 300 runs.

Table 23 – SEC/EEC noise model parameters, following ETSI SEC noise generation model (Annex C of [b-ETSI02]).

Noise Source	Input white noise standard deviation (ns)	Low-pass filter bandwidth (Hz)	High-pass filter bandwidth (Hz)
WPM	1.0	—	0.006
FPM	10.67	0.006	—



Clock noise model

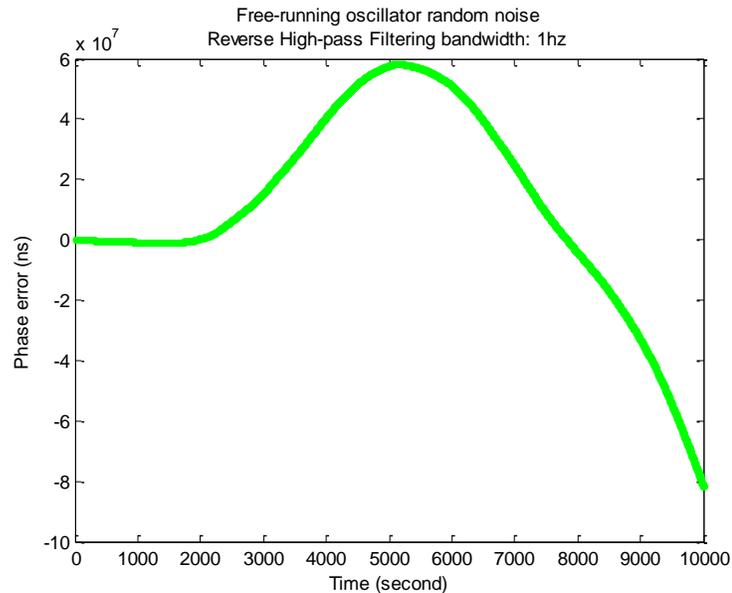
- Using the reverse high-pass filter model $1/(1-H)$ and the ETSI noise phase error Y to get the local clock noise N .

$$N = \frac{1}{1-H} \times Y$$

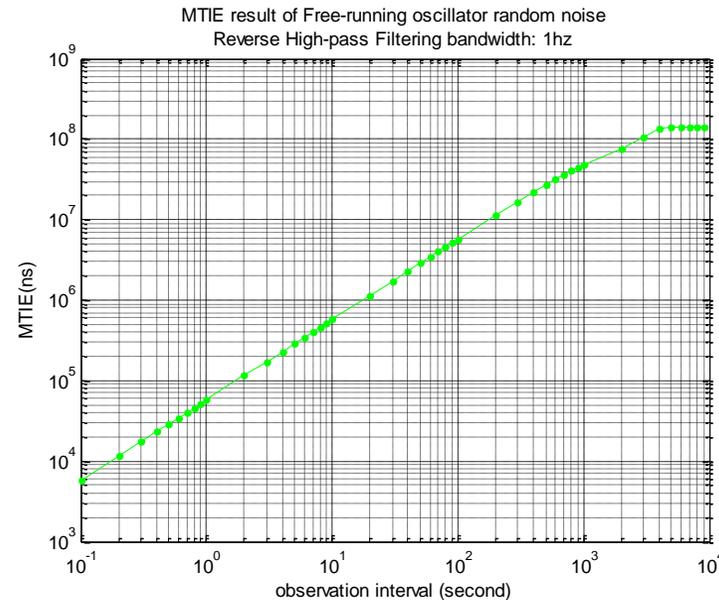
- The important factors of the low-pass filter model H are the filtering bandwidth and gain peaking. ITU-T G.813/G.8262 specify the filtering bandwidth to be 1~10Hz, and the gain peaking is 0.2dB.
- So, the derivation of N considers two cases,
 - Case 1: filtering bandwidth 1Hz, gain peaking 0.2dB
 - Case 2: filtering bandwidth 10Hz, gain peaking 0.2dB

Clock noise model

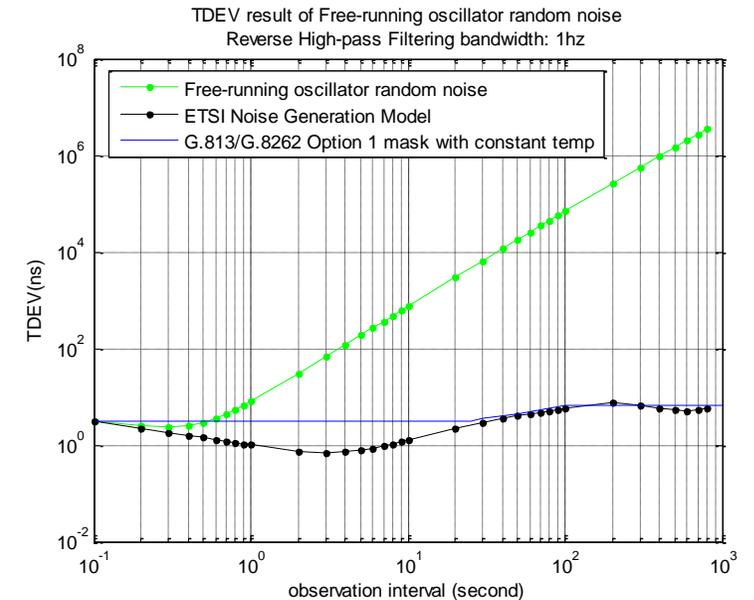
- Below figures are the simulation result of Case 1 (filtering bandwidth 1Hz, gain peaking 0.2dB)



Local clock noise, which can be assumed as the random noise of a local clock, mainly driven by a free-run oscillator



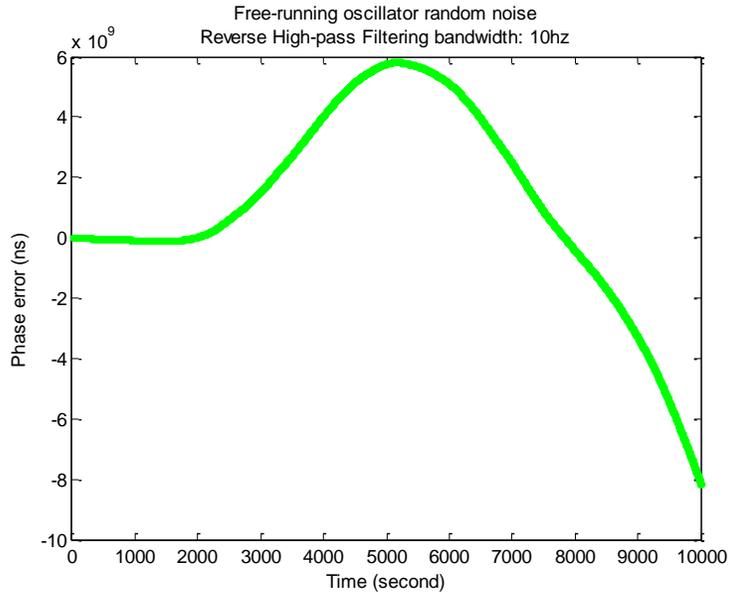
MTIE result



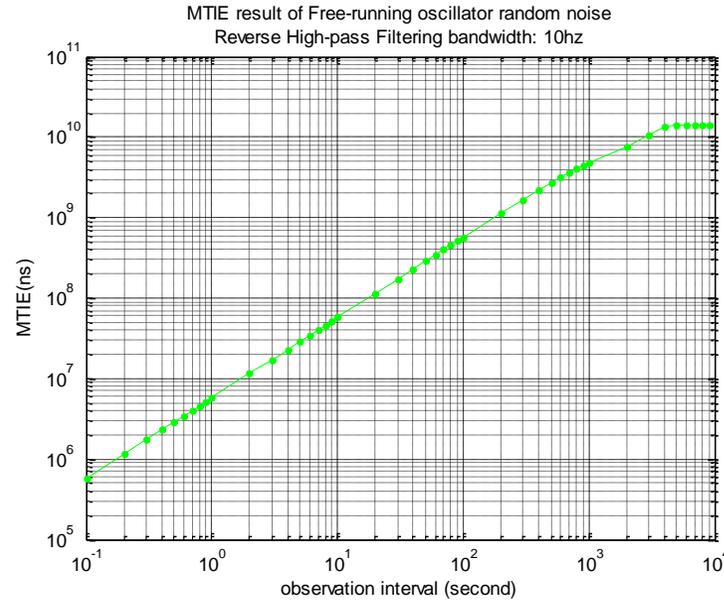
TDEV result

Clock noise model

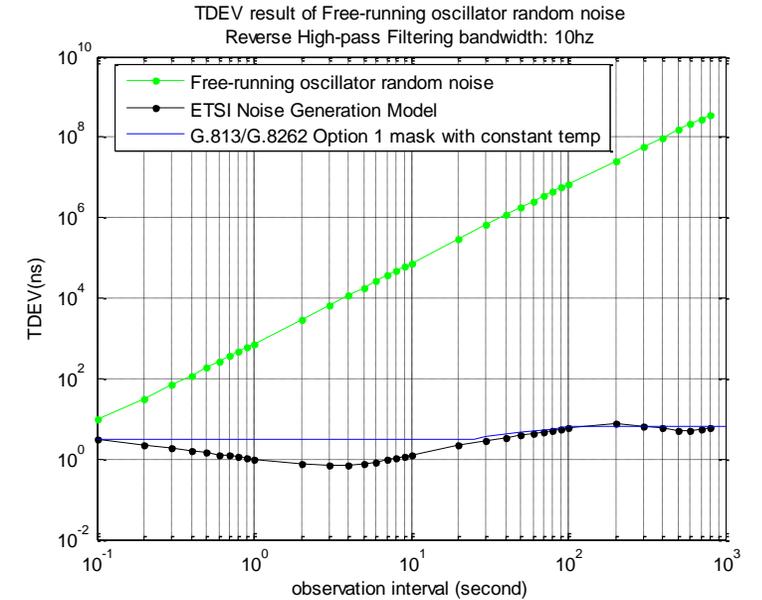
- Below figures are the simulation result of Case 2 (filtering bandwidth 10Hz, gain peaking 0.2dB)



Local clock noise, which can be assumed as the random noise of a local clock, mainly driven by a free-run oscillator



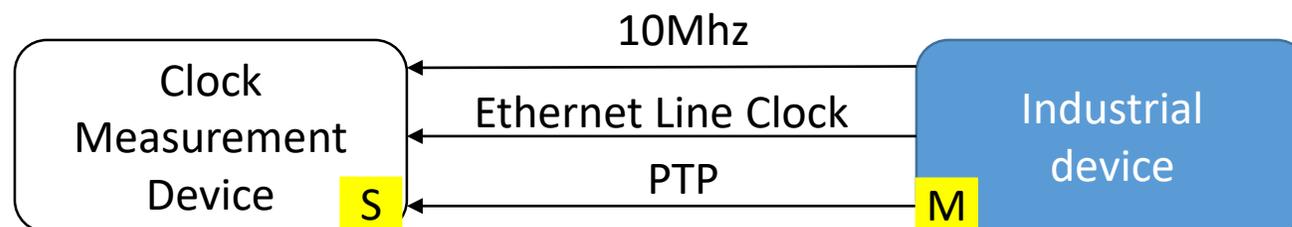
MTIE result



TDEV result

Summary

- This presentation provides one method to get the random noise of local clock (a free-run oscillator), based on the ITU-T clock models.
 - However, it's still not quite sure, whether the result is consistent with the oscillators used by industrial devices. The ITU-T clock models assume telecom devices with TCXO, and the industrial devices may use XO.
- Another direct way that could be more consistent with the industrial devices is to test the local clock of a general industrial device.
 - There are several ways for test, e.g., through an external clock signal (e.g., 10Mhz), an Ethernet line clock from an Ethernet port, or PTP messages (e.g., $t_2 - t_1$, or $t_2 - t_1 - \text{meanLinkDelay}$).
 - Both of constant temperature and variable temperature can be tested.
 - It's better to test the output of a device instead of an oscillator. They could be different, especially for the variable temperature.



Thank you